

Introduction:
"When a ray of light enters from one medium to the other, then it changes its the called refraction." Introduction: 2.5.1

This property of light is called efraction." perty of light is called efraction.

Sperty of light travels from air or vacuum to a denser medium (ريّن والح) Say

When a ray of light travels from air or vacuum to a denser medium (ريّن والح) Say When a ray of light travels from the following diagram liquid, then ray of light bends towards the normal () Say Normal

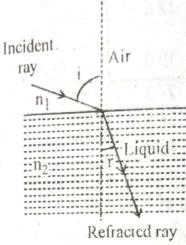


Fig. (2.12) Refraction of light.

When the angle of incidence 'i' is increased, then angle of refraction (رانطاف) 'r' also inc Anyhow, the value of r always remains smaller than 'i'. If the ray enters from denser to he medium, then it bends away from the normal. The angle of incidence is less than the angle of the as shown in the following diagram. (2.13)

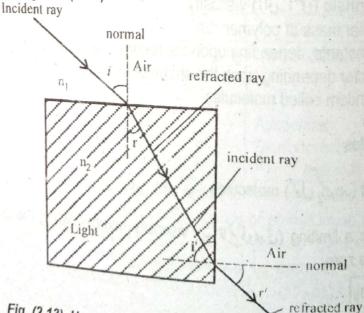


Fig. (2.13) How the image in displaced que to refraction. It means that, if the ray of light enters into the denser medium and then emerges out of the rarer medium, then the ray in the denser medium and then emerges out of the rarer medium. other side of the rarer medium, then the ray is displaced. This diagram explains that a image displaced due to refraction.

According to this law, the ratio of sine of the angle of incidence to the sine of angle of refraction is a constant quantity.

 $n = \frac{\sin i}{\sin r} = \frac{\text{velocity in the air (medium of angle i)}}{\text{velocity in the liquid (medium of angle r)}}$

Actually the angle of incidence is different from the angle of refraction due to the reason that the velocity of the light in the two media is different. According to the law of refraction,

$$\frac{\sin i}{\sin r} = \frac{n_2}{n_1}$$

n₁ = Refractive index of the rarer medium

n₂ = Refractive index of the denser medium.

Critical Angle of Refraction:

- specificative of the standard liquid.

The value of the ∈ can help us to estimate (اندازه کانا) the polarity (قطبیت) of a compound and so, we can calculate the dipole moment of a compound from it.

(دو قطى قوتون كامعياراتر) DIPOLE MOMENT

2.7.1 Introduction:

Those molecules in which the electron pair making the bonds are not equally shared are responsible ((i,j,l)) for creating the dipole ((i,j,l)). This is due to difference of electronegativity between two atoms. Dipole moment is the property which is associated with such type of molecules.

Dipole moment is the product of electrical charge and the distance between the two charges.

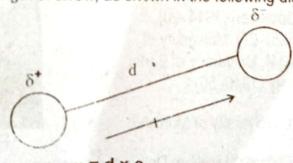
Mathematically,

 $\mu = d \times e$

d = Distance between two charges

e = Charge on any one of the poles.

μ = Dipole moment.



 $\mu = d \times e$

Dipole moment can help us to have the quantitative measurement of the extent to which a molecule is polar. It also helps to know the molecular configuration (اماليواز كرتيب اجزا) of the substance.

2.7.2 Units of Dipole Moment:

In order to derive the units, consider hypothetical (﴿) molecule A - B , which has 100% ionic bond. In that case, 'A' has full positive and 'B' has full negative charge.

$$A = A = B$$

Suppose that the bond distance is 1A

Since, $\mu = d \times e$

$$d = 1A^{\circ} = 10^{-8} \text{ cm (in C.G.S. system)}$$

 $e = 4.8 \times 10^{-10} \text{ e. s. u (in C.G.S. system)}$
 $\mu = 10^{-8} \text{ cm} \times 4.8 \times 10^{-10} \text{ E.S.U.} = 4.8 \times 10^{-18} \text{ cm e. s. u.}$
 $10^{-18} \text{ cm e. s. u.} = 1 \text{ Debye} = 1D$

Hence. $\mu = 4.8D$

So, Debye is the unit of dipole moment in C. G. S. system.

(این اکائی ہے جو C.G.S کے مطابق ہے)

In SI system, the distance is taken in meters and charge in coulomb.

d =
$$1A^{\circ}$$
 = 10^{-10} m (in SI units)
e = 1.602×10^{-19} c (in SI units)
 $\mu = 10^{-10}$ m $\times 1.602 \times 10^{-19}$ C = 1.602×10^{-29} mC
 $\mu = 46.02 \times 10^{-30}$ mC

mc (این اکائی ہے جو S. ایسٹم میں ہے)

In SI system, the unit of dipole moment is mC. Anyhow, the absolute values of both dipole moments are same for the same molecule A - B. (which is thought to be 100% ionic).

Hence, $4.8D = 16.02 \times 10^{-30} \text{ mC}$

 $1D = 3.338 \times 10^{-30} \text{ mC}$

With the help of this relationship, we can interconvert two types of units of dipole moment. March 24, 1884, Maastricht, Netherlands

Born

$$\mu = 0.0128 \sqrt{(P_m - P_i)T D}$$
 (14)

remist

Applications of Dipole Moment Measurements:

for liquids and solids. A few important applications are mentioned.

Comparison of Relative Polarities: (i)

The greater the electronegativity difference between two bonded atoms, greater the polarities of dipole moments. The μ-values decrease from HCL to the polarities The greater the electronegativity and greater the values of dipole moments. The μ-values decrease from HCl to Hi for the polarities on on decreasing down the group.

Percentage of Ionic Character:

The polar covalent compounds are not 100 %.covalent. They have certain % age of ionic character in them. This can be calculated by the following formula.

%age ionic character =
$$\frac{\text{observed dipole moment}}{\text{diple moment of 100\% ionic bond}} \times 100$$

The dipole moment of 100% ionic character is calculated from the actual bond length and the charge of electron or proton.

Shape of Molecules: (iii)

Dipole moment is vector quantity (ביש משנות). Every bond in a compound has almost a constant value of bond moment (بانڈ کے اندر کی قوت کا کی شے سے متاثر ہو کا گھانا). The net values of the bond moments give us information about the shapes of the molecules.

(a) Triatomic Molecules:

Linear (= triatomic molecules like $\mathrm{CO_2}$ and $\mathrm{CS_2}$ have zero dipole moments because their bond moments cancel the effect of each other.

moments as shown by the following diagram. They are bent (عرض) molecules and are V-shaped.

(b) **Tetratomic Molecules:**

The molecules like BF₃, AIF₃ etc. are planar triangular (ایک سطح پر تینوں بانڈز برابر فاصلے پر) and have zero μ values. Anyhow, the compounds like $\ddot{N}H_3$, $\ddot{N}F_3$, $\ddot{P}Cl_3$, $\ddot{P}F_3$ etc. have net dipole moments as shown in the following diagram. They are pyramidal (کروطی شکل کی شے کا چوٹی دار ڈھیر) in shape.

F
$$\delta^+$$
 $\delta^ \delta^ \delta^+$ $\delta^ \delta^ \delta^+$ δ^+ $\delta^ \delta^ \delta^$

Pentatomic Molecules: (c)

Pentatomic molecules having symmetrical (ایک جیا پن) structure like CH4, SiH4, CCl4 etc. have net dipole moments zero, because they are perfectly tetrahedral (چار کیلووَل والی کھوس چیز) molecules as

(iv)

shown below. Anyhow, if one of the atoms attached with the central atom is substituted then the dipole moment is developed and its value depends upon the nature and size of group.

$$H^{\delta^{+}}$$

$$H^{\delta$$

Comparison of Cis and Trans Geometrical Isomers:

Due to restricted rotation (پابندی کی وجہ ہے کم گھومنا) of the double bond or cyclic structure of a compound geometrical isomers are developed. In case of cis isomer, there is a certain value of dipole moment but the bond moments cancel the effect of each other in trans-isomer.

Following diagram makes the idea clear.

Comparison of o, m, p Isomers: (V)

The dipole moment of benzene is zero, because it is regular hexagonal (الي مائذة والى) symmetrical molecule. The bond moments cancel the effect of each other and they are directed towards the center as shown in the following diagram.

$$Cl^{\delta-}$$

$$L^{\delta-}$$

In the case of disubstituted p-derivative the net μ is zero in many cases. But it is non zero in the case of o-and m-derivatives. Anyhow, the net dipole moment of o-derivatives should be greater than those of m-isomers.

- Each lattice point has the same environment (as that of any other point in the lattice) (1) A constituent particle is to be represented by lattice point, irrespective () of the s
- (مقيقة) and whether it contains the single atom or more than one atoms.

3.1.2

Unit Cell: Smallest 3-D part of crystal lattice Unit Cell:

When we picturize (المحرير المحرية) a crystal lattice as shown in the above diagram (3.1), then it possible to select a group of lattice points. This group of lattice points repeated again and again called the unit cell. The whole lattice can be generated by translation or stacking (اکٹھاجوڑٹا) of these unit

So, unit cell is a three dimensional group of lattice points which generate the whole lattice by translation or stacking Fig. (3.2)

3.1.3 Types of Unit Cells:

Unit cell can be divided into four types.

(i) Simple unit cell:

This type of unit cell is produced, when the particles are present only at the corners of the unit راون عل کے کونے).

Face centred unit cell: (ii)

When the particles are located at the centre of each face in addition to the corners, then it is called face centred unit cell.

End face centred unit cell: Consilvent parlicles al 2 opposie (iii)

When the particles are located at the centers of the end face (ہر سائیڈ کے سنٹر میں) in addition to the corners, then it gives end face centred unit cell.

(iv) Body centred unit cell:

When the particles are present at the centre of the cell in addition to the corners, then it is called body centred unit cell.

The following set of diagrams (3.3) show these four types of unit cell.

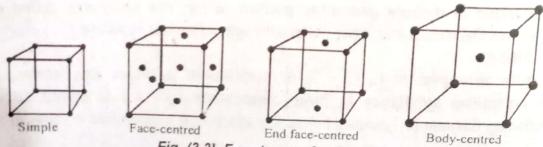


Fig. (3.3) Four types of unit cells.

3.1.4: Crystal Systems (القلام اشكال):

Each unit cell is a parallelopiped (متطیل نما), whose interfacial angles (مائیڈز کے در میانی زاویے) may or may not be 90°. The three lengths a, b, c and three interfacial angles are called unit cell dimensions. The relationship between the values of the angles and between the lengths of the axes give us seven types of crystal systems as shown in the following Table (3.1).

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Table (3.1).	1	al Systems and Fourteen Bravais Lattices			
Systems	Bravais lattices	characteristics		examples	
Cubic	simple, body-centred, face-centred	three axes at right angles: all equal a = b = c $\alpha = \beta = \gamma = 90^{\circ}$	four 3-fold rotation axes (along cubic diagonals)	NaCl, ZnS, FeS ₂ , KCl, Diamond, Au, Hg, Ag, Pb,	
Tetragonal	2 simple, body-centred	three axes at right angles: two are equal $a = b \neq c$ $\alpha = \beta = \gamma = 90^{\circ}$	one 4-fold rotation axis	SnO ₂ , TiO ₂ , Sn, KH ₂ PO ₄	
Orthorhombic	simple, body-centred, face-centred, end-centred.	three axes at right angles: but all unequal $a \neq b \neq c$ $\alpha = \beta = \gamma = 90^{\circ}$	three mutually orthogonal 2-fold rotation axes	KNO ₃ , PbCO ₃ , BaSO ₄ , rhombic sulphur	
Monoclinic	simple, end-centred	three axes, all unequal, two axes at right angles, third is inclined to these at an angle other than 90° a \neq b \neq c $\alpha = \gamma = 90^{\circ}$, $\beta \neq 90^{\circ}$	one 2-fold rotation axis	CaSO ₄ .2H ₂ O, Na ₂ SO ₄ .10H ₂ O, Na ₂ B ₄ O ₇ .10H ₂ O, monoclinic sulphur	
Triclinic	1 simple	three axes not at right angles: All unequal.	none	CuSO ₄ .5H ₂ O, K ₂ Cr ₂ O ₇ , H ₃ BO ₃	
Hexagonal	1 simple	two equal axes in one plane with included angle 120°; 3rd axis at rt \angle to these; unequal a = b \neq c $\alpha = \beta = 90^\circ$,	one 3-fold rotation axis	Mg, Zn, Cd	
Rhombohedra or Trigonal	al 1 simple,	three equally inclined axes, not a rt. \angle ; All equal $a = b = c$, $\alpha = \beta = \gamma \neq 90^{\circ}$	one 3-fold rotation axis	NaNO ₃ , Bi, Sb, As, ICI	

$$V = (4.12)^3 \times 10^{-30} \text{ m}^3$$

 $Z = 1$
 $N_A = ?$

On substituting the values into following equation we get,

$$N_{A} = \frac{2.141}{P.V}$$

$$N_{A} = \frac{1 \times 158.5 \times 10^{-3}}{3.97 \times 10^{3} \times (4.12)^{3} \times 10^{-30}}$$

$$= 6.023 \times 10^{23} \text{ molecules mol}^{-1} \text{ Ans.}$$

3.2.4 Structure of NaCl:

It has face centred cubic (ایراکیوب جم کے پہلو کے سنٹر میں فرتراہو) lattice and each ion is surrounded by six oppositely charged ion. The co-ordination number of Na and Cl each is 6. There are four units of Na and Cl ions in a unit cell. The structure is shown in Fig. (3.10)

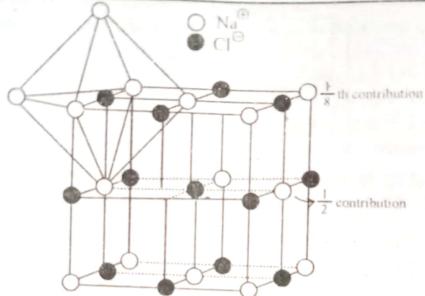


Fig. (3.10) Structure of unit cell of sodium chloride and contribution of each ion into the unit cell. Co-ordination number of each ion is 6.

The other ionic compounds like NaBr, Nal, AgCl, MgO also have sodium oblorida to

IAIO	15001	0.700	4	0.100
	Ka ₂	0.713		
	Ka	0.632		

Diffraction of X-rays: 3.4.2

X-ray tube provides electromagnetic radiations with wavelengths of about atomic dimensions الخركار). In most of the case's we can think that a typical atom might behave like a hard sphere of about 2Ao diameter (قطر). The characteristic X-rays which are obtained from copper may be used for Xray crystallography. The wavelenigth of such rays are 1.5418A°. When these X-rays are passed through crystal, they are diffracted. Tihey form an interference pattern like that of visible light, which is diffracted (اكبار) by grating. The spacing in the gratings are comparable to its wavelength.

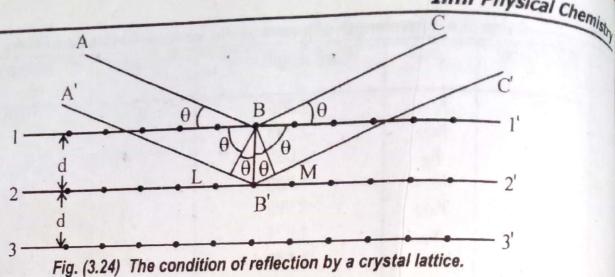
x-rays). Electric and magnetic fields کی بر تی مقتاطیمی لہریں ہیں) x-rays are electromagne tic radiations are propagating perpendicular (یے دوٹوں میدان باہمی ایک دو سرے کے عموداً ٹیری) to each other. They are also perpendicular to the direction of propagation. The scattering (t) of X-rays is due to the reason that the interaction between the electrical field of X-rays takes place with the negatively charged electrons in the crystal structure (کا برتی میدان ایٹمز کے گرو گھونے والے الیکٹر ان کے منفی چارج سے اُلجنتا ہے) This scattering power of an atom is proportional to the atomic number or the number of the electrons of the atom. The Tystal acts as three dimensional diffraction grating towards X-rays. So, a diffraction pattern is obtained when X-rays pass through the crystal.

نیو تکلیس میں پروجان کی تعداد اور تمام الیکٹر ان جو ان کے گر د تھوم رہے ہیں۔X-rays کی البری لمبائی ان پر انحصار کرتی ہے

Bragg's Equation:

Bragg has given a simple account of diffraction (اكلا) from a three dimensional crystal thicture. The complex phenomenion of X-ray diffraction is reduced theoretically to simple geometrical Problems looking as if we are study ing the reflection of X-rays from crystal planes.

Let us consider a crystal having three planes '11" '22" and '33". These planes are successive ا کے اللہ consider a crystal having three planes in کوئی on these planes at an angle 'θ'. A learn of X-rays of wavelength 'λ' is incident (چریکی) on these planes at an angle 'θ'. A learn of X-rays of wavelength 'λ' is incident (چریکی). A beam of X-rays of wavelength 'λ' is incident (چریکی) on these planes at an angle 'θ'. A A beam of X-rays of wavelength 'A is incident (2007). A beam of X-rays of wavelength (2007). A beam of X-rays of wave beam 'BC' is reflected from the point B. Of the lower planes '22" and '33". Into crystal and are reflected by the atoms present in the lower planes '22" and '33". diagram is as follows. Fig. (3.24).



The ray A' B' C' has to travel a longer distance in order to emerge out (ابامر الكار) of crystal. 'Bl' and 'BM' are the perpendiculars on A'B'C' ray. The reflected (منعكس شده) beams 'BC' and 'B'C' undergo interference (وخل اندازی) with each other. If these reflected rays are in phase then they reinforce (ايك دوسرے كے لئے تقويت كا باعث بنا) each other and the intensity of the reflected ray is maximum. When we say that rays are in phase with each other, then it means that the crest falls over the crest and trough over the trough.

If the reflected rays are out of phase, then the intensity (غثت) of reflected beam is very low. When a photographic plate is placed to receive the reflected rays, then the diffraction pattern is obtained.

It is clear that, the reflected rays 'BC' and 'B'C'' can do the constructive (تعمیری) interference (خطن اندازی), if the path difference (LB' + MB') is the integral multiple of wavelength of X-rays کی لہری البان کا ساوہ صاصل ضرب) x-rays).

From the right angled triangle, 'LBB", the length 'LB" is perpendicular and 'BB" is hypotenuse

So,
$$\frac{LB'}{BB'} = \sin \theta$$

 $LB = BB' \sin \theta$

From the right angled triangle MBB', the length MB' is perpendicular and BB' is hypotenuse.

So,
$$\frac{MB'}{BB'} = \sin \theta$$

Hence,
$$MB' = BB' \sin \theta$$

$$MB' = d \sin \theta$$

Path difference,

$$LB' + B'M = d \sin \theta + d \sin \theta$$

Path difference = $2 d \sin \theta$

The path difference is integral multiple of wavelength. Let that integral multiple is 'n'. So,

$$n\lambda = 2d \sin \theta$$
 (1)

By gradually increasing the value of angle ' θ ', a number of positions are observed corresponding to n = 1, 2, 3, 4, \cdots etc. At these positions, the reflected beam will has maximum be less than maximum. So, a diffraction pattern maxima corresponding to n = 1, 2, 3, \cdots etc. are