

LABOUR MARKET

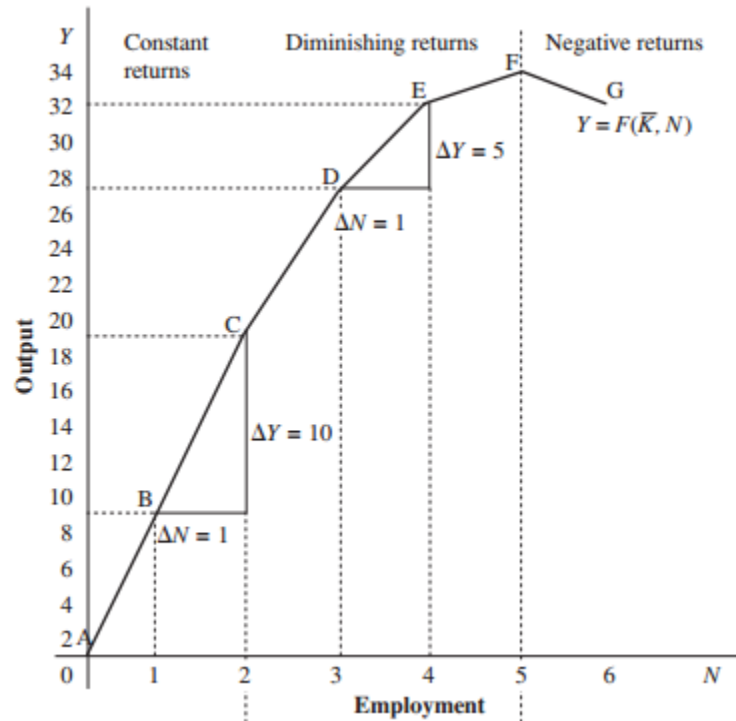
Production function

- Output is function of input $Y = F(N)$

	<i>N = Labor</i>	<i>Y = Output</i>	$\Delta Y/\Delta N = MPN$	
A	0	0		
B	1	10	10	Constant returns
C	2	20	10	
D	3	28	8	Diminishing returns
E	4	33	5	
F	5	34	1	
G	6	32	-2	Negative returns

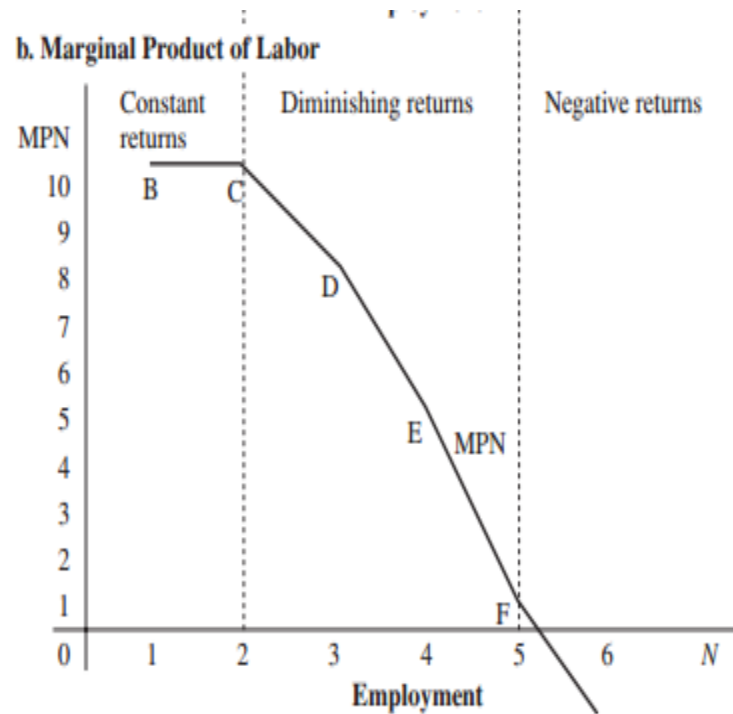
PRODUCTION FUNCTION

- PF

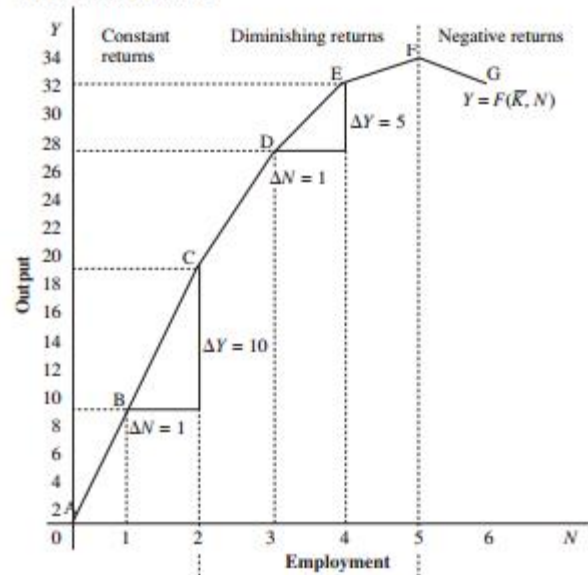


Marginal product of labour

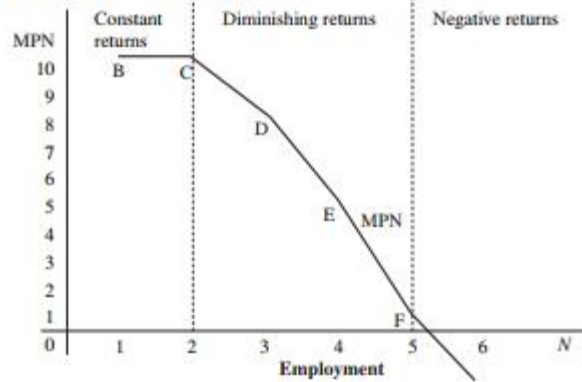
- MPN



a. Production Function



b. Marginal Product of Labor



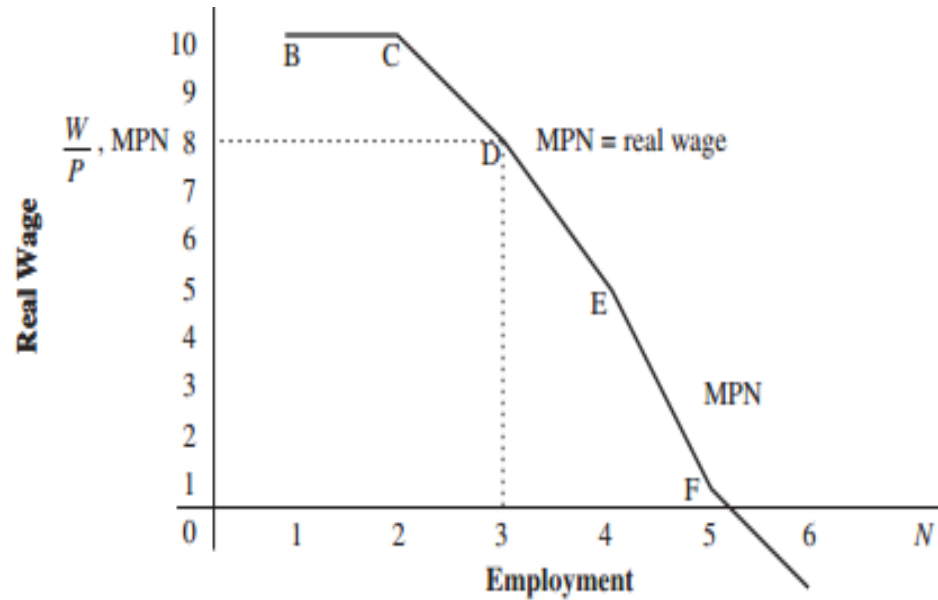
Labour demand

- LABOUR DEMAND
- $MR=MC$ firm equilibrium (1)
- $MR=P$ (in Perfect competition)
- $MC_i = \frac{W}{MPN_i}$ (because output is function of only labor) (2)
- Putting the values of P and MC in equation 1 we get eq. (3)
- $P = \frac{W}{MPN_i}$ (3)
- Multiplying both sides of equation by MPN and dividing both sides by P gives

$$MPN_i = \frac{W}{P} \quad (4)$$

Continue...

- LABOR DEMAND ($MPN=W/P$)



Continue...

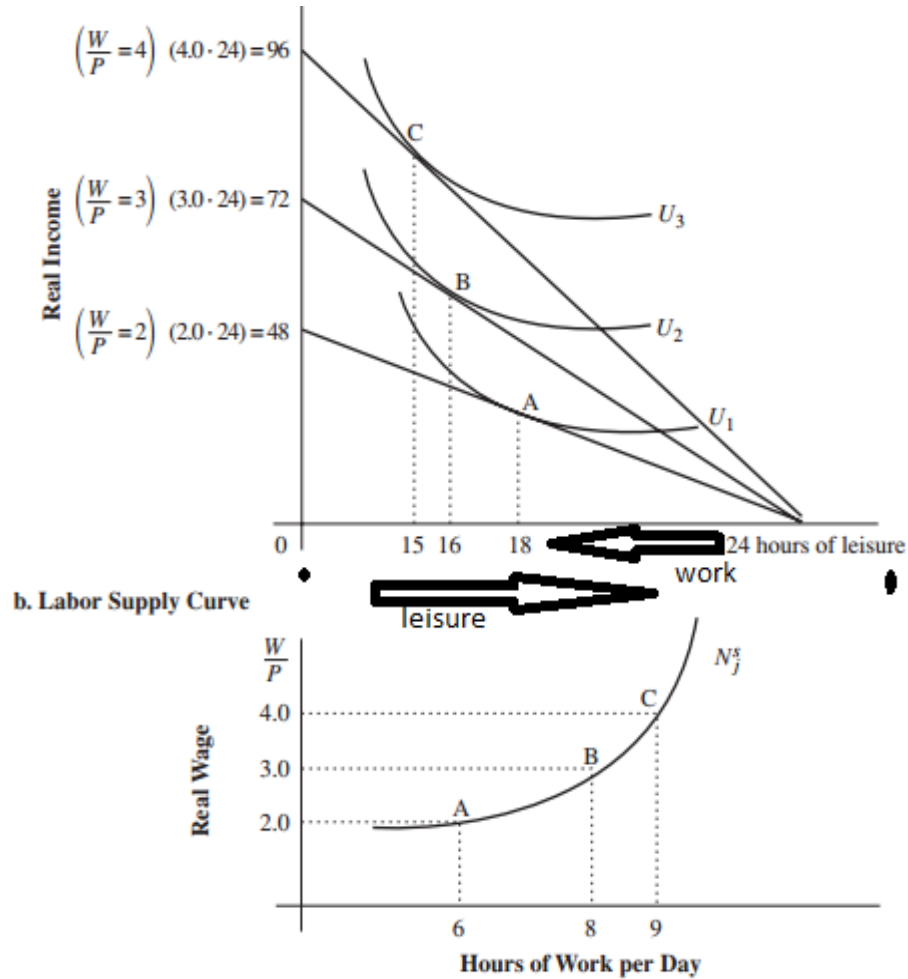
- LABOR DEMAND

$$N^d = f\left(\frac{W}{P}\right)$$

(-)

Labor supply

- N^S



Labor supply

- LABOR SUPPLY

$$N^s = g\left(\frac{W}{P}\right)$$

(+)

EQUILIBRIUM OUTPUT AND EMPLOYMENT

- EQUILIBRIUM in labor market

So far, the following relationships have been derived:

$$Y = F(\bar{K}, N) \text{ (aggregate production function)}$$

$$N^d = f\left(\frac{W}{P}\right) \text{ (labor demand schedule)}$$

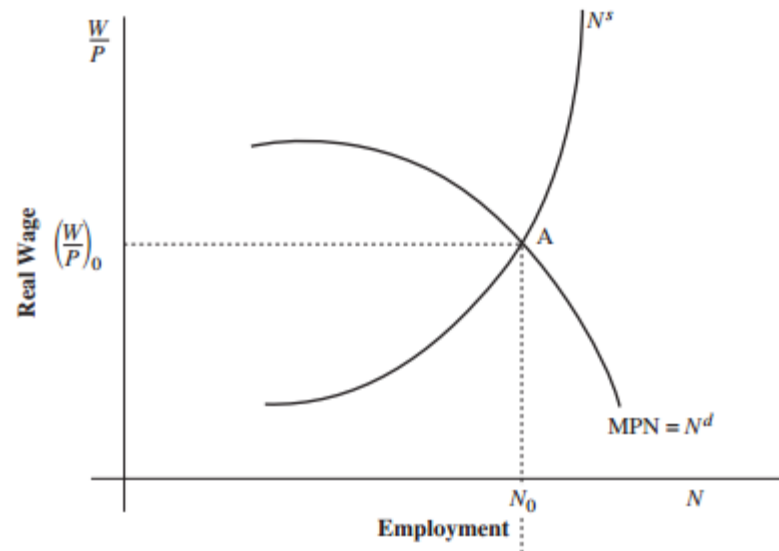
$$N^s = g\left(\frac{W}{P}\right) \text{ (labor supply schedule)}$$

$$N^s = N^d$$

CLASSICAL OUTPUT AND EMPLOYMENT THEORY

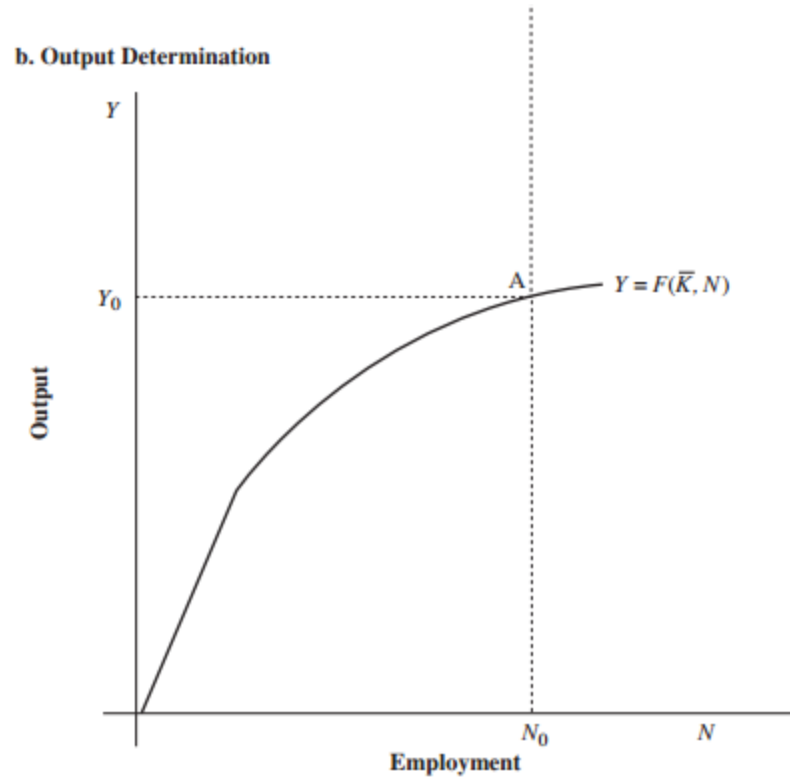
- Graphically LABOR MARKET EQUILIBRIUM (EMPLOYMENT and real wage determination)

a. Labor Market Equilibrium



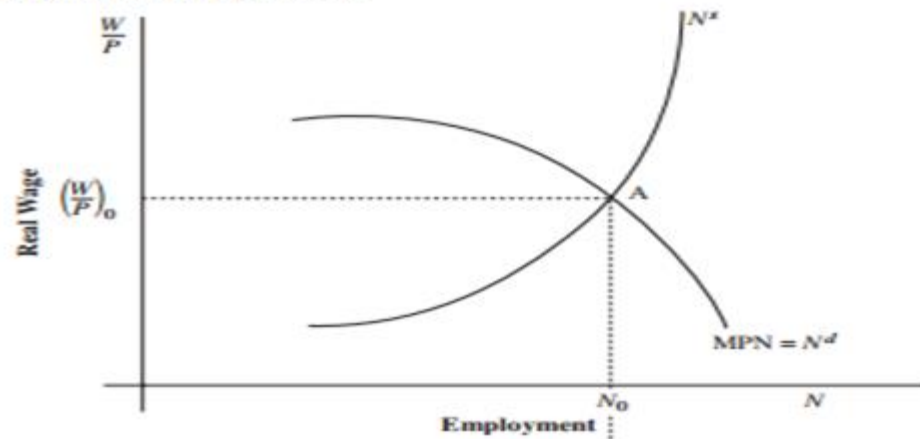
CONTINUE...

- OUTPUT DETERMINATION

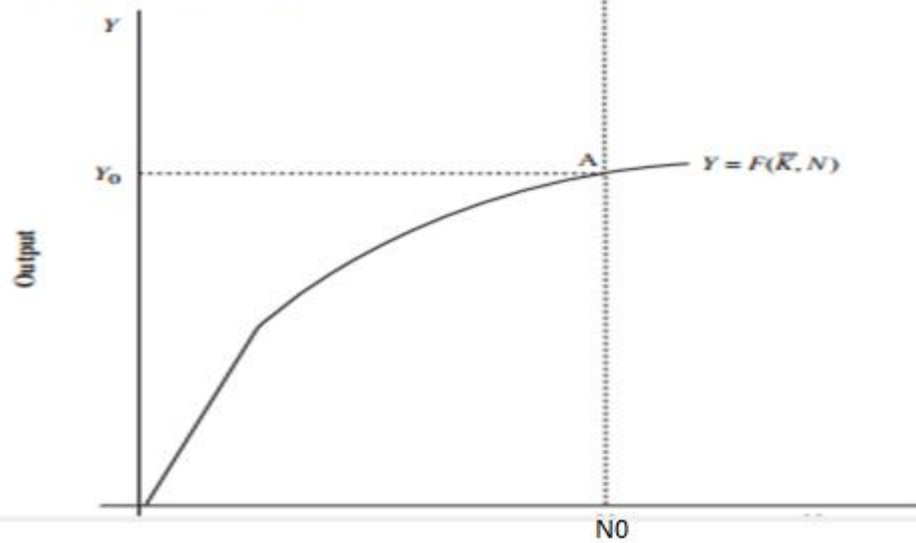


DETERMINATION OF REAL WAGES, EMPLOYMENT AND OUTPUT

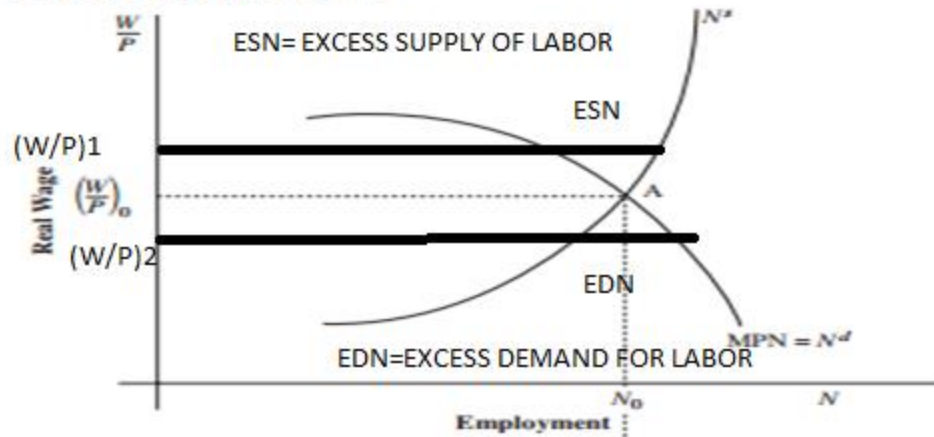
a. Labor Market Equilibrium



b. Output Determination



a. Labor Market Equilibrium



b. Output Determination

