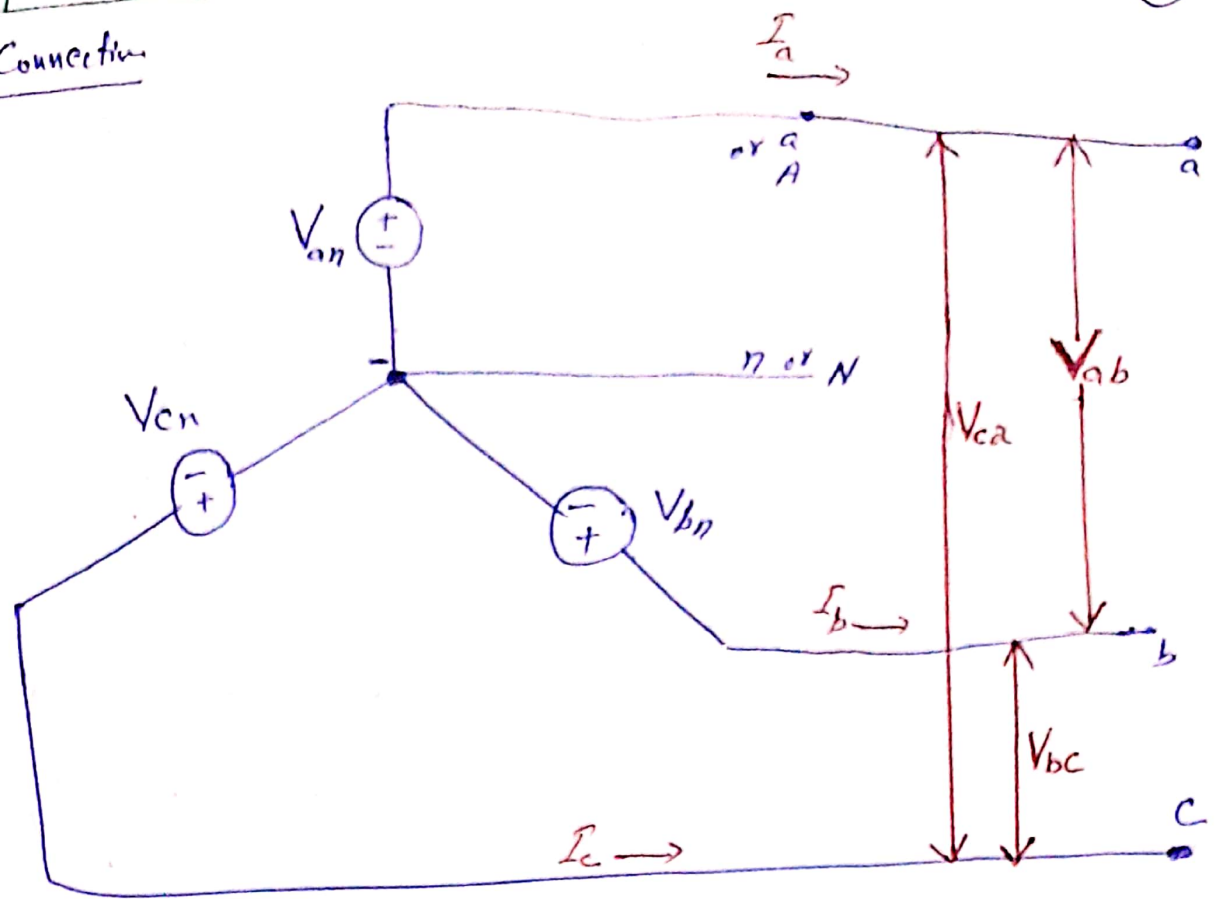


3-φ Source  
Y-Connection

(1)



(1) Terminal Line or phase Line  
 ^ The terminal a, b, c are called the terminal Lines.

(2) Neutral line & neutral point (N)

(3) Three phase four-Line system. (ABCN is four Lines)

(4) Line Current ( $I_a, I_b$  &  $I_c$ ) is called the line current  
 ^ The current flow through every terminal is called the line current" shown in figure ( $I_L$ )

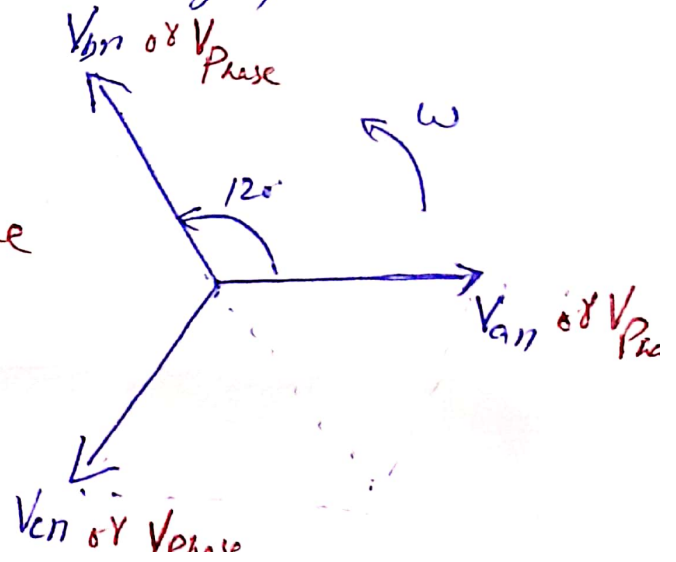
(5) Line Voltage (Line to line voltage)

$V_{ab}, V_{bc}, V_{ca} \rightarrow$  Line voltage)

" The voltage between the terminal Lines is called the Line voltage.

denoted with  $V_{ab}, V_{bc}$  &  $V_{ca}$

$$V_L = V_{ab} = V_{bc} = V_{ca}$$

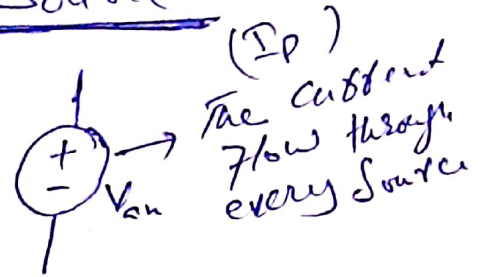


The Voltage & Current in every Phase (2)

(6) Phase Current ( $I_p$ )

"The Phase Current is the current flow through every ~~Phase~~ "Source""

$I_p$



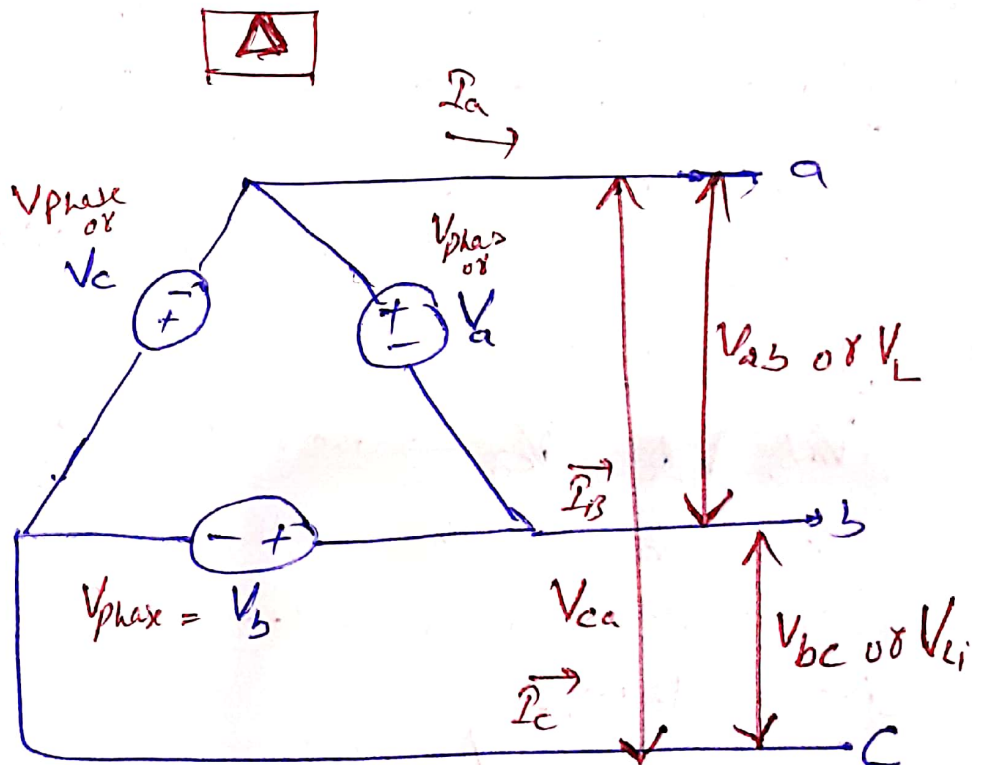
(7) Phase Voltage ( $V_p$ ) ( $V_{an}, V_{bn}, V_{cn}$ )

Every Phase has its Phase Voltage.

Remember

⇒ Source provides Power to the External

Load → absorb Power



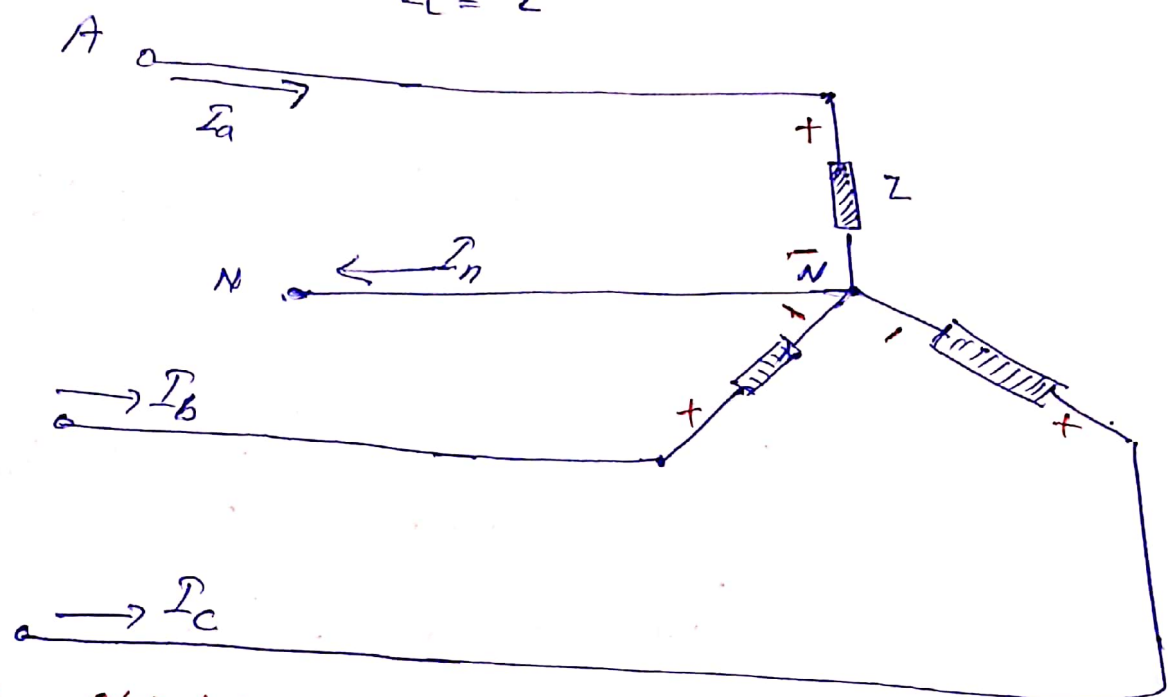
Balance wye-wye Connection

OR (3)

Star Y-Connection & its Phase-Line Relationship

Y-Y

Balance 3 $\phi$  Source & Balance 3 $\phi$  Load.  
 $Z_L = Z$



ip) current w through by source

In the star/wye connection, its obvious that the Phase current = Line current

Phase current = Line current  
 $I_p = I_L$

But we interested in the Phase  $\rightarrow$  Line relationship of the Load voltage

we know that in 3 $\phi$  system, Every load is connected to the corresponding Phase Source Voltage ( $V_p$ )

The Phase Voltage of the Load is Balance,

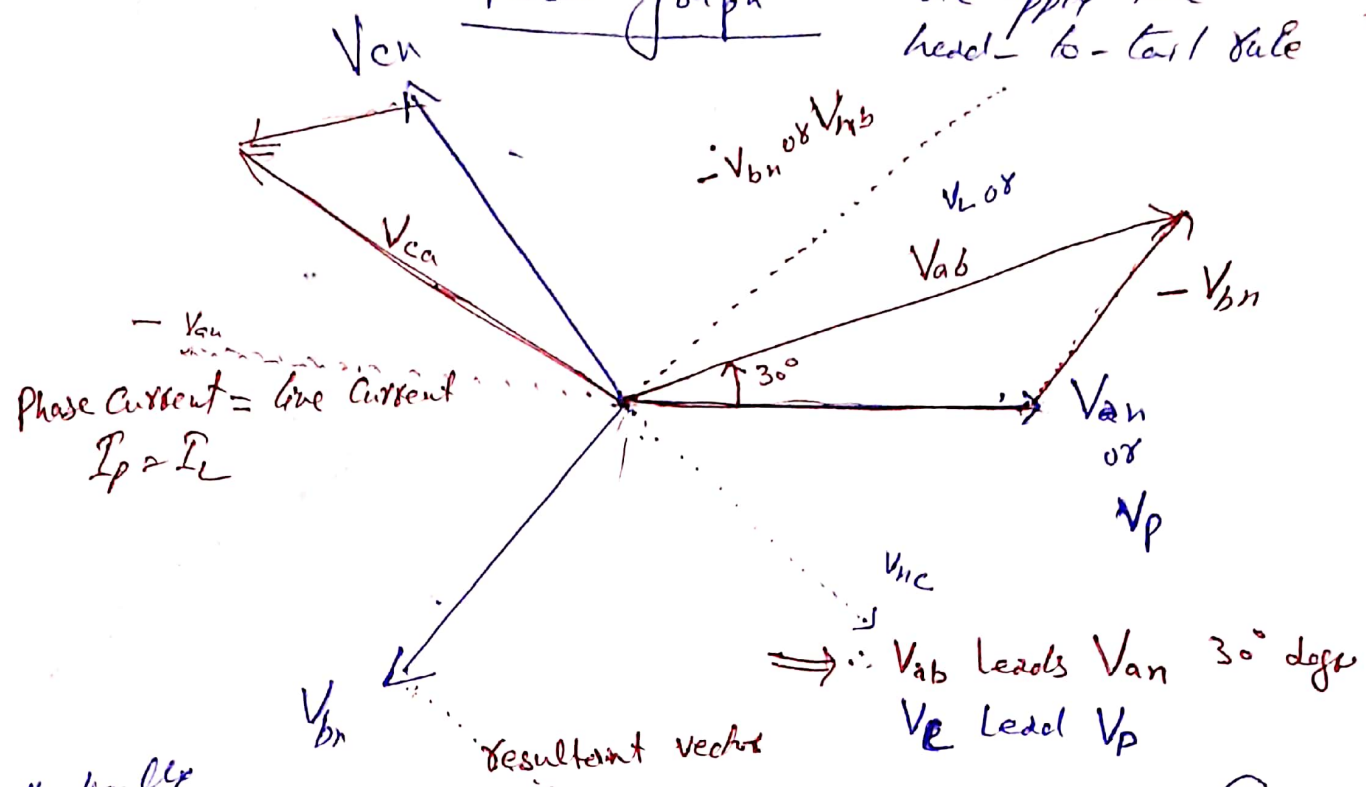
$$V_{an} = V_p \angle 0^\circ \quad \longrightarrow (1)$$

$$V_{bn} = V_p \angle -120^\circ \quad \longrightarrow (2)$$

$$V_{cn} = V_p \angle +120^\circ \quad \longrightarrow (3)$$

Phasor graph

We apply the head-to-tail rule



Mathematically

$$V_{ab} = V_{an} - V_{bn} \quad \text{--- (4)}$$

Putting the value from Eq (1) & (2) in Eq (4) we get

$$V_{ab} = V_p \angle 0^\circ + (-V_p \angle -120^\circ)$$

$$V_L = V_p \angle 0^\circ - V_p \angle 120^\circ$$

Converting from Rectangular to Polar

$$V_L = V_p [\cos(0^\circ) + j \sin(0^\circ)] - V_p [\cos(-120^\circ) + j \sin(-120^\circ)]$$

$$V_L = V_p [1] - V_p [(-0.5) + j(-0.866)]$$

$$V_L = V_p + V_p(0.5) + j'0.866$$

$$V_L = V_p [1 + 0.5 + j'0.866]$$

$$V_L = V_p [1.5 + j'0.866]$$

Converting back in Polar

$$V_L = V_p [1.73 \angle 30^\circ] \Rightarrow$$

$$V_L = \sqrt{3} V_p \Rightarrow \boxed{V_p = \frac{1}{\sqrt{3}} V_L}$$